

CASA
VLBI

WORKSHOP 2020

2-6 NOVEMBER 2020

LATEST VLBI TASKS IN CASA

Des Small, JIVE



Latest VLBI tasks in CASA

Des Small



CASA-VLBI Workshop, 3 November 2020



A note on the title

Mark Kettenis' lecture on "The CASA calibration model" discussed importing *a priori* gain calibration and system temperature; the only other task needed to make CASA complete for VLBI as well as connected-element interferometry was a fringe-fitting task. This lecture will cover the how, why, what, when and (a bit of the) theory of fringe-fitting in CASA.

Historical context I

- CASA was developed by NRAO starting in the 1990s
- It is the standard program for VLA data reduction
- It has long been planned to make it also suitable for VLBI
- But it lacked among other things a fringe-fitting task
- I will mostly discuss fringe-fitting here

Historical context II

- The Black Hole Cam project provided funding for JIVE to work on CASA
- JIVE developed a CASA fringe fitter, with support from NRAO
- CASA was used as part of the EHT project to image the shadow of the supermassive black hole at the centre of M87
- CASA is now a viable choice for VLBI data reduction

Bracewell's Rule of Fourier Transforms

If you are dealing with phase, everything looks locally like a Fourier transform pair.

Suppose

$$f(\xi) = \exp i\phi(\xi).$$

Expand $\phi(\xi)$ to first order:

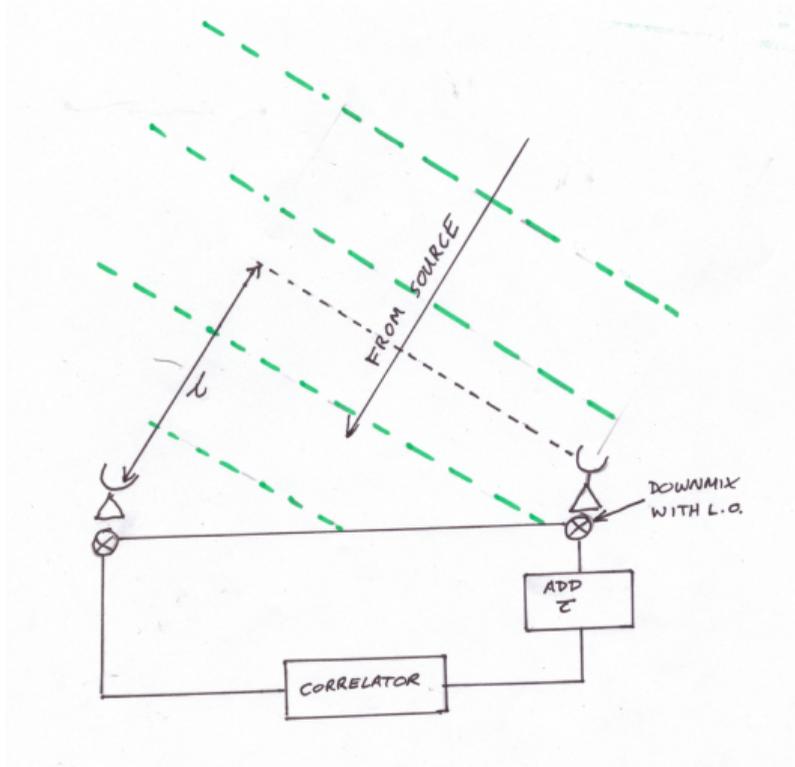
$$\phi(\xi) \approx \phi(\xi_0) + \frac{\partial\phi}{\partial\xi} \cdot \Delta\xi$$

Define $r = \frac{\partial\phi}{\partial\xi}$, then

$$f(\xi) \approx e^{i\phi_0} \cdot e^{ir \cdot \Delta\xi}$$

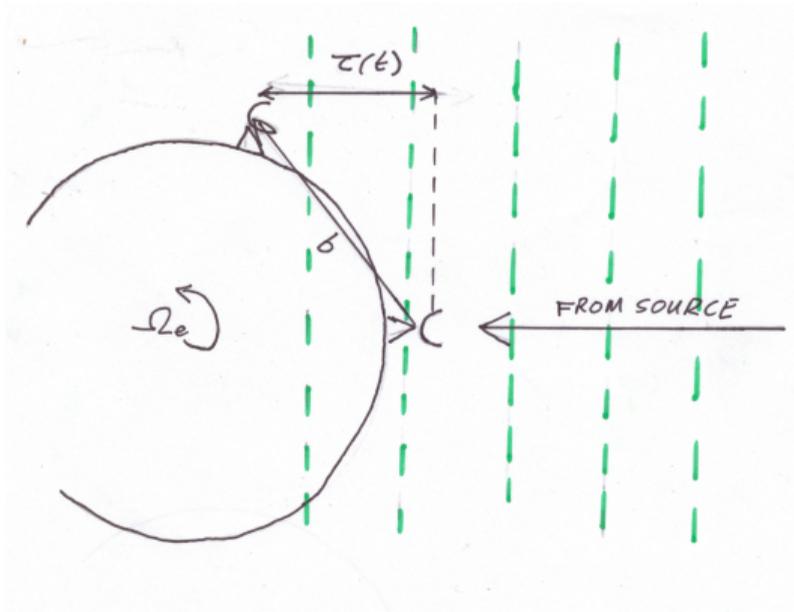
so r and $\Delta\xi$ are a Fourier transform pair.

Interferometry



Coherence at antennas equals the absolute value of the normalized Fourier transform of the brightness distribution of the source. (Van Cittert-Zernike Theorem.)
Geometric delay, τ to align wavefronts is crucial!

VLBI problems



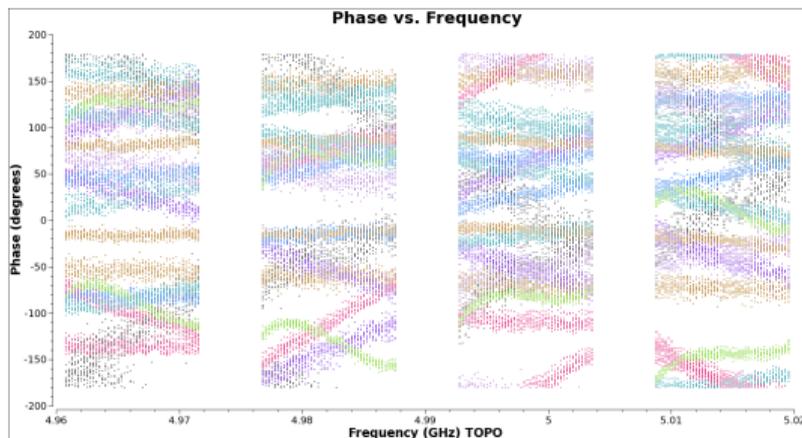
- Heterogeneous antennae hundreds or thousands of km apart
- Geometric delays calculated using software (e.g. CALC); but
 - Different view of atmosphere
 - Different clocks
 - Different frequency standards (LOs)
- Adds up to unknown delays, and limits phase coherence

VLBI solutions

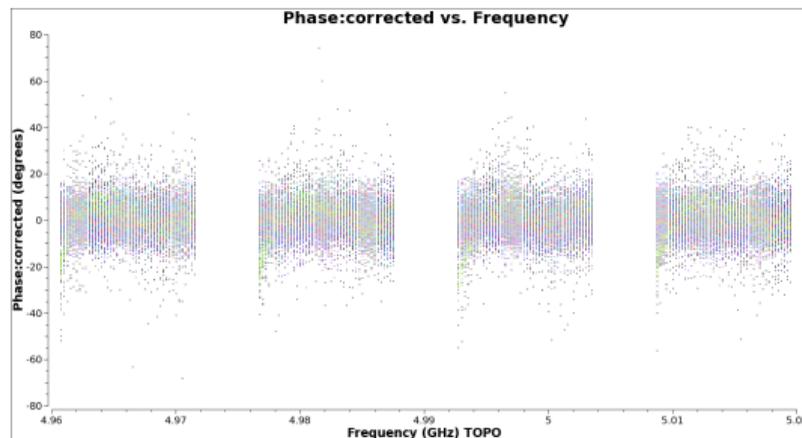
- We measure T_{sys} for each antenna, to get a handle on amplitude
- And we calibrate phase with *fringe-fitting*
- Plotting phase vs. frequency, a delay corresponds to a slope of phase $\phi \propto \tau \cdot \nu$.

VLBI procedures 1: “Manual Phase Cal”

- There can also be instrumental delays due to different signal paths between bands
- Fringe fit with a short interval on a bright source
- Bands are then aligned for the whole experiment
- This can be done with phase calibration tones, hence the name
- Don't forget to zero rate term – we're extrapolating!



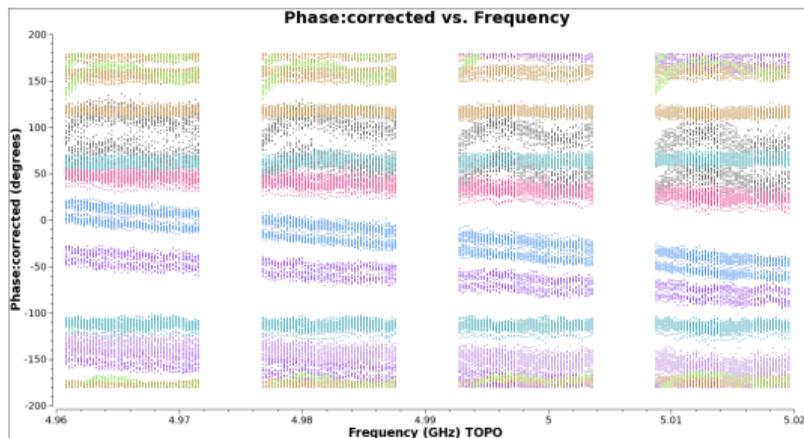
Before fringe-fitting
Latest VLBI tasks in CASA



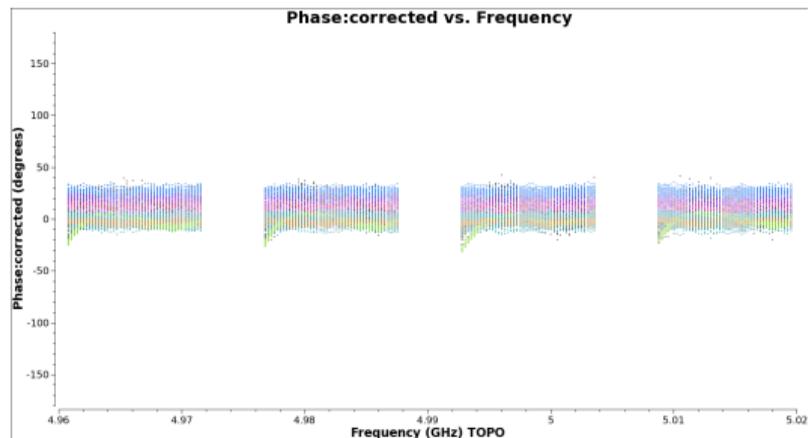
After fringe-fitting
CASA-VLBI Workshop 2020

VLBI procedures 2: “Wide band fringe fit on strong source”

- Once bands are aligned, use full frequency width for fringe fit
- Higher signal-to-noise that way
- Fringe-fit all of the data on good sources that way



After “manual phase cal”



After “multi-band” fringe fitting

VLBI procedures 4: Wide and multiband remarks

Multiband solving:

```
fringefit(vis="n14c3.ms", caltable="n14c3-1848.mbd",  
          solint='60', combine='spw', field='1848+283',  
          refant='EF', minsnr=50,  
          gaintable=['n14c3.gcal', 'n14c3.tsys', 'n14c3.sbd'],  
          parang=True)
```

Multiband application:

```
applycal(vis="n14c3.ms", field="1848+283,J1849+3024",  
         gaintable=['n14c3.tsys', 'n14c3.gcal',  
                   'n14c3.sbd', 'n14c3-1848.mbd'],  
         interp=[], spwmap=[[[]], [], [], 8*[0]], parang=True)
```

VLBI procedures 5: Gaps between bands

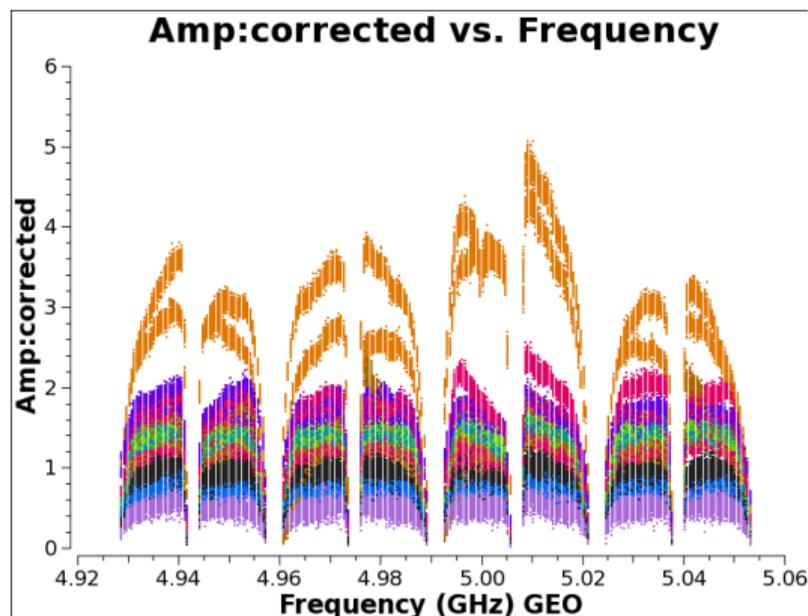
For multiple spectral windows, all data is regridded to a single wide frequency grid. This does work for S/X data, but is very inefficient. Nearest neighbour interpolation is used for quirky inter-band spacing like like ALMA. A new more efficient method for these cases is currently in test, but the existing code does work.

VLBI procedures 5: “Phase transfer”

- The target source is too weak to fringe fit directly
- But there is a nice strong calibrator near it on the sky
- Schedule alternating scans on this *phase calibrator* and *target source*.
- A common idiom, but not the only way.
- Does not preserve absolute astrometry!
- All of this is discussed in the EVN tutorial

VLBI procedures 6: Final tips

- Flag channel edges: low amplitude, untrustworthy phase
- Reference station should be biggest antenna (Effelsberg or ALMA)
- For homogenous arrays like VLBI, pick a central antenna
- Don't forget to plot calibrated data to check!



VLBI Theory 1: The “Measurement Equation”

- The Radio Interferometric Measurement Equation (RIME) is a formalism for describing calibration
- The RIME is central to CASA's calibration framework
- All effects described by 2×2 complex matrices, known as Jones matrices
- Fringe-fitting calibration is no exception!
- This is all transparent to the user, though

VLBI Theory 2: Baseline approach to Fringe-fitting

Following Schwab and Cotton (1983). Ignore amplitude, related observed phase $\tilde{\phi}$ to true phase ϕ . (This is like a tiny fragment of the Measurement Equation.)

$$\tilde{\phi}_{pq} = \phi_{pq} + (\psi_p - \psi_q)|_{t_o, \nu_o} + r_{pq}(t_k - t_0) + \tau_{pq}(\nu_l - \nu_0)$$

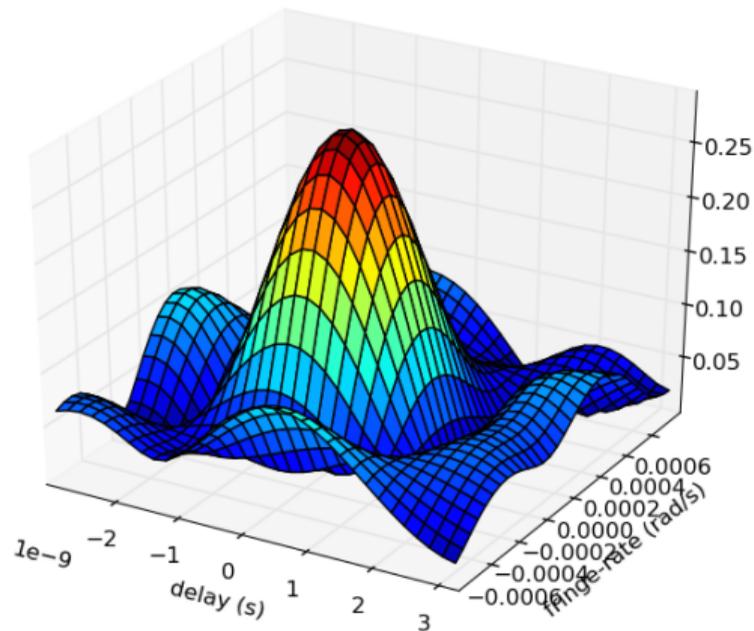
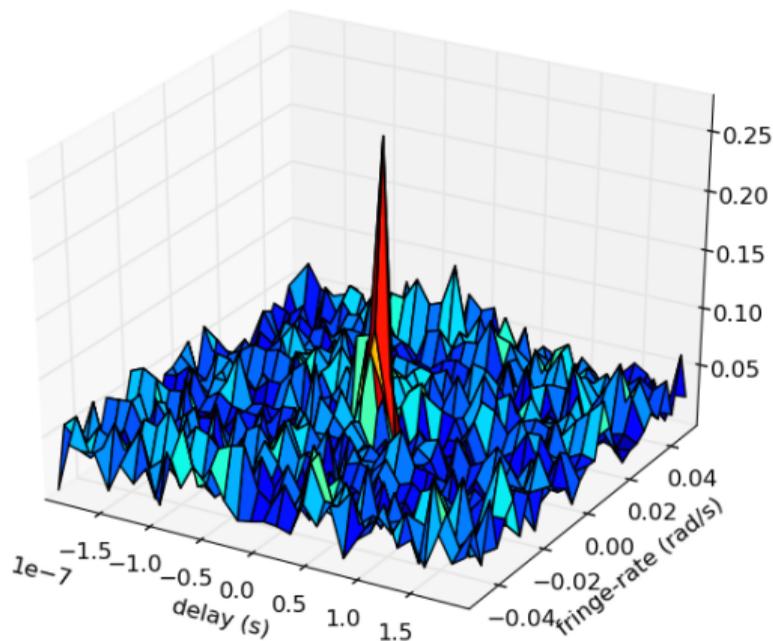
where

$$r_{pq} = \left. \frac{\partial(\psi_p - \psi_q + \phi_{pq})}{\partial t} \right|_{t_o, \nu_o}$$
$$\tau_{pq} = \left. \frac{\partial(\psi_p - \psi_q + \phi_{pq})}{\partial \nu} \right|_{t_o, \nu_o}$$

So 2D Fourier transform of $\phi(t, \nu)$ should be a δ -function at delay and fringe-rates.

VLBI Theory 3: More on baseline approach

- Instead of interpolating *after* FFT, pad data with zeros
- A zero-padding factor of eight is a good balance between accuracy and computational effort



VLBI Theory 4: Global method

- Still following Schwab and Cotton (1983)!
- Use a per-station model of ϕ
- Choose a reference station
- Use FFT method for initial guess
- Eliminate low SNR antennas
- Apply least-squares optimisation in regular t - ν space for *all* valid baseline data.
- Minimize $\|W_{ij} [\phi_{ij}(\nu, t) - \exp(i \{ \phi_{0,ij} + \tau_{ij} \Delta \nu + r_{ij} \Delta t \})]\|$
- Uses all the (good) data!
- With good estimates non-linear least squares converges fast
- Used in AIPS; current industry standard for non-geodetic VLBI

VLBI Theory 4: Source models

- Without explicit model, fringe-fitting implicitly assumes a point source
- This is usually good enough anyway!
- And it is usually good enough to bootstrap self-calibration!
- CASA supports sky models, but
- If your models are from AIPS it is fiddly to import them
- (I've given NRAO the code to do this; they plan to support it)

Some miscellaneous remarks specific to CASA

- Currently we don't support merging the two polarizations
- Also don't support use of cross-hand polarization data
- We *do* now support data with only one hand of polarization on some antennas!
- Conversion from XY to RL polarizations is possible
- Ionospheric dispersion term is now supported
 - Useful at P-band
 - Important for LOFAR Long Baseline
 - Will be required for broad band receivers

Final remarks

- CASA for VLBI is here to stay!
- More features are being added
- We work with NRAO to provide support through their ticket system
- Plot you data after calibrating to check it did what you want!

THANKS TO OUR SPONSORS:

CASA
VLBI



JUMPING JIVE
Joint Institute for VLBI
ERIC



THIS EVENT HAS RECEIVED FUNDING FROM THE EUROPEAN UNION'S HORIZON 2020 RESEARCH AND INNOVATION PROGRAMME UNDER GRANT AGREEMENTS 730562 (RADIONET) AND 7308844 (JUMPING JIVE)

